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Title: Basics of Gamma Ray Detection

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### **Basics of Gamma Ray Detection**

Fundamentals of Non-Destructive Assay for International Safeguards

Los Alamos National Laboratory September 25, 2017

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**SAFEGUARD NUCLEAR MATERIALS TO PREVENT THEIR DIVERSION OR THEFT** 



CONTROL THE SPREAD OF WMD-RELATED MATERIAL, EQUIPMENT AND TECHNOLOGY



NEGOTIATE, MONITOR AND VERIFY
COMPLIANCE WITH INTERNATIONAL
NONPROLIFERATION AND ARMS CONTROL
TREATIES AND AGREEMENTS



**DEVELOP** PROGRAMS AND STRATEGIES TO ADDRESS EMERGING NONPROLIFERATION AND ARMS CONTROL THREATS AND CHALLENGES



### **Terminal Learning Objective**

• Explain the origin of x-rays and gamma rays, gamma ray interactions with matter, detectors and electronics used in gamma ray-spectrometry, and features of a gamma-ray spectrum for nuclear material that is safeguarded.



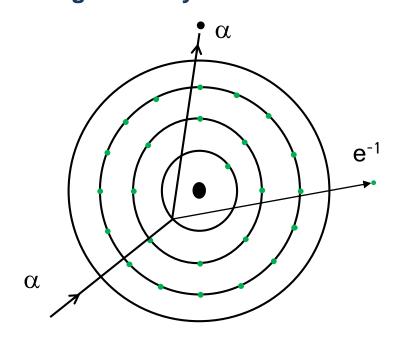
### **Enabling Learning Objectives**

- Describe the origin of x-rays and gamma-rays, the radioactive decay characteristics for uranium and plutonium and resulting photon emission yields.
- Explain how gamma-rays interact with matter: photoelectric effect, Compton scatter, pair production and annihilation, attenuation.
- List features specific to a uranium and plutonium gamma-ray spectrum
- Describe detector parameters: resolution, efficiency, dead-time
- Recognize detector technologies: scintillators and semiconductors.
- Explain how gammas interact with a detector to create a spectrum, and the electronic settings that may be adjusted in the course of calibration: energy, polezero, integration time.
- Understand gamma-ray spectrometry statistical concepts for precision and bias.



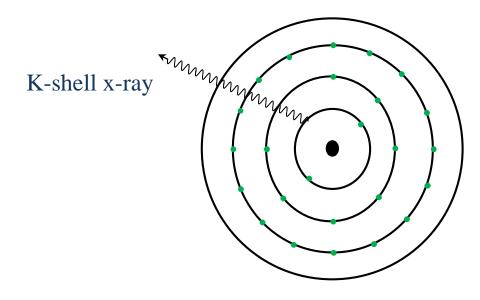
### Origin of X-rays

#### **Making an X-Ray Transition Possible**



PARTICLE KNOCKS OUT AN ATOMIC ELECTRON AND LEAVES A VACANCY

#### **Producing the X Ray**



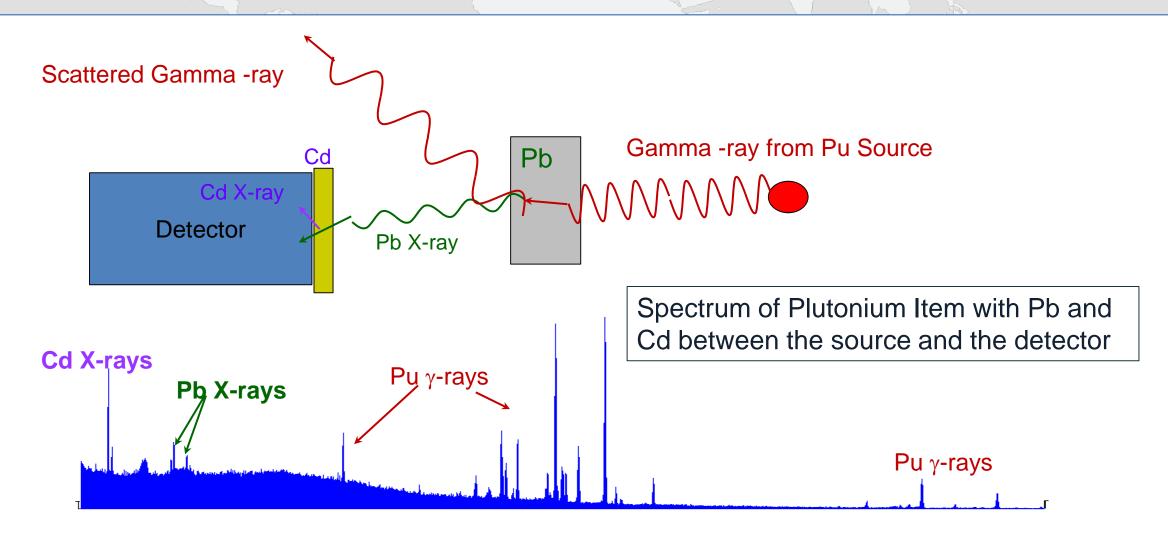
AN OUTER ELECTRON "FALLS"
INTO THE "HOLE", AND GIVES UP
ENERGY IN THE FORM OF AN XRAY







### X-Ray Fluorescence Example



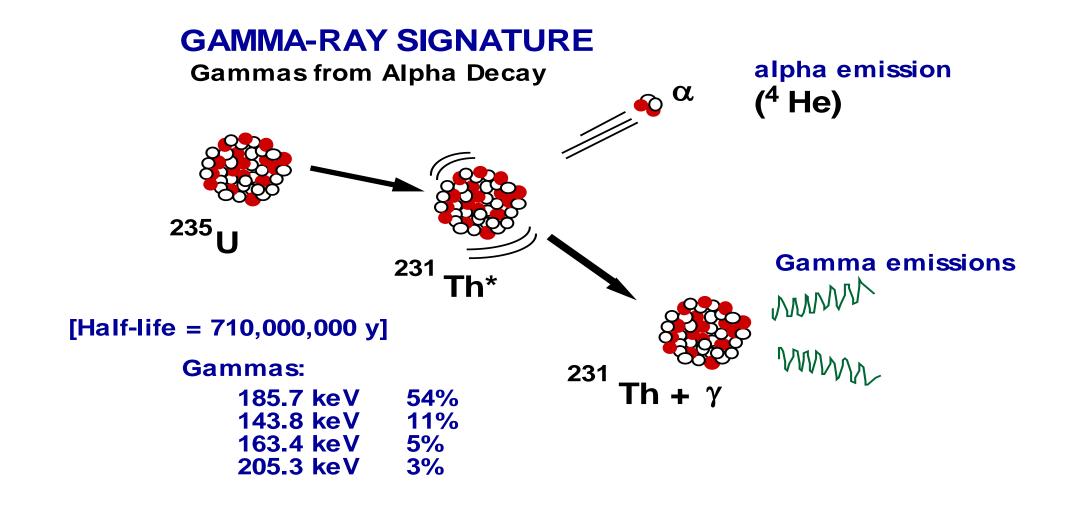


# **Example X-ray Energies**

Element	Energy [keV]	Level	Usage	
Cd	23.174	$K_{\alpha 1}$	Low-E gamma filter, thermal neutron absorber	
	26.095	${ m K}_{ m eta 1}$		
DL	74.969	$\mathbf{K}_{lpha 1}$	Generic gamma-ray shielding	
Pb	84.938	${ m K}_{ m eta 1}$	material	
$\mathbf{W}$	59.318	$K_{\alpha 1}$	Detector collimators, gamma- ray shielding	
	67.244	${ m K}_{ m eta 1}$		
U	98.434	$\mathbf{K}_{lpha 1}$	Material itself, plus DU is a	
	111.298	${ m K}_{ m eta 1}$	common gamma shield	
Pu	103.734	$K_{\alpha 1}$	Material itself	
	117.228	$K_{\beta 1}$		



### Origin of $\gamma$ -rays

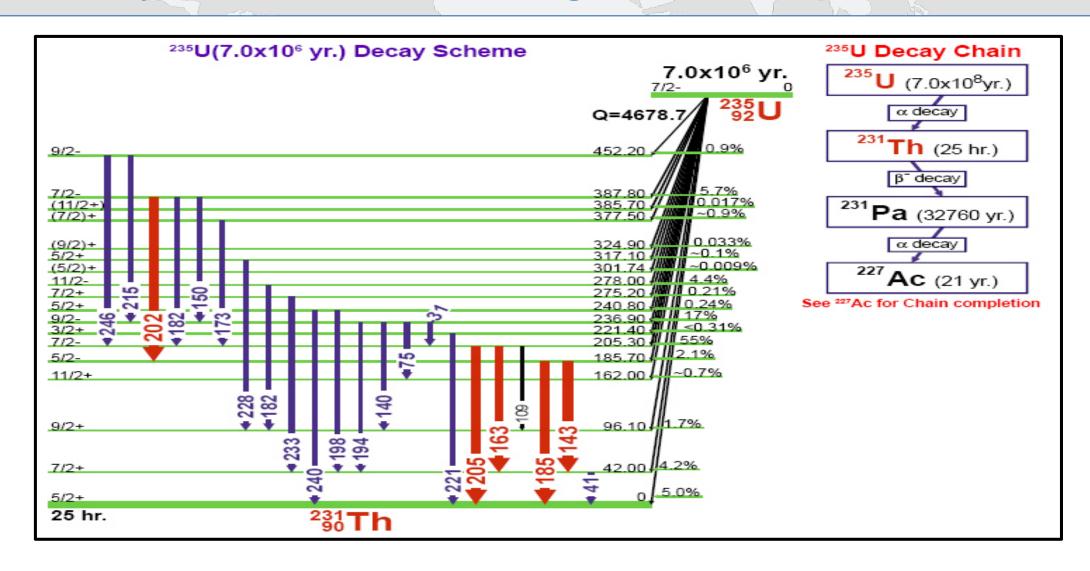








# <sup>235</sup>U Decay Scheme and Branching Ratios

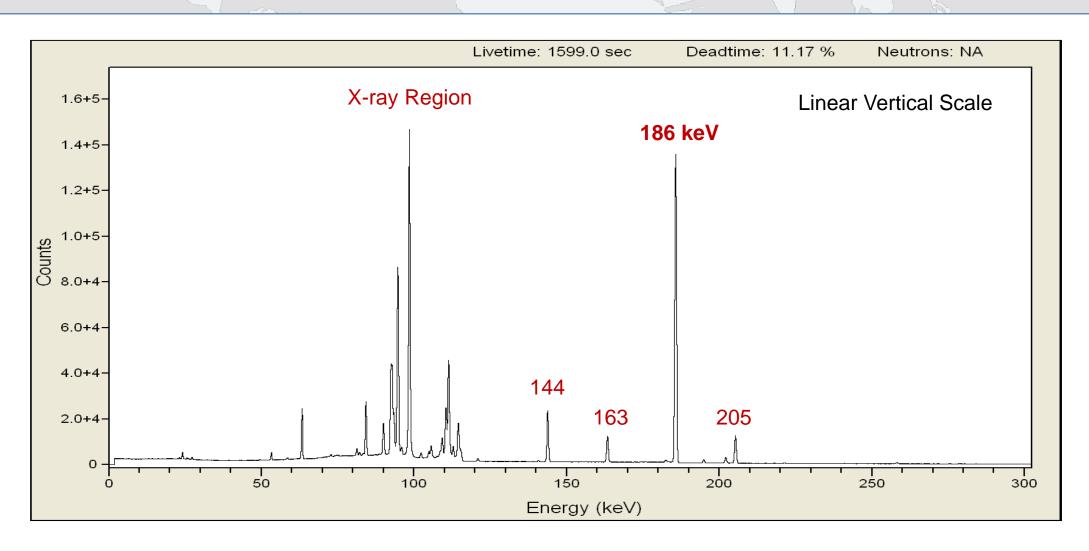








# **Uranium Gamma-Ray Spectrum** (300-keV Range)

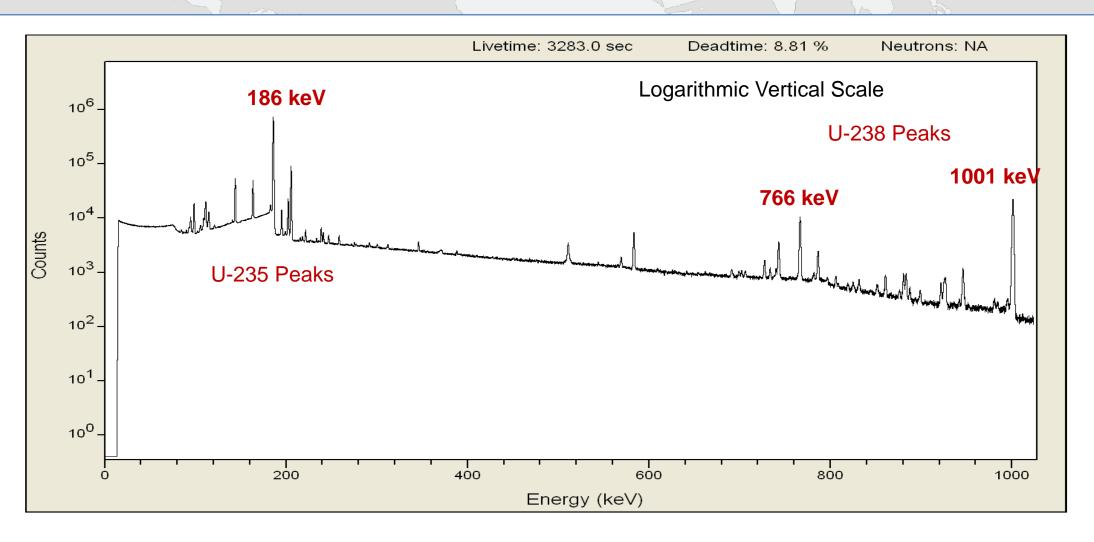








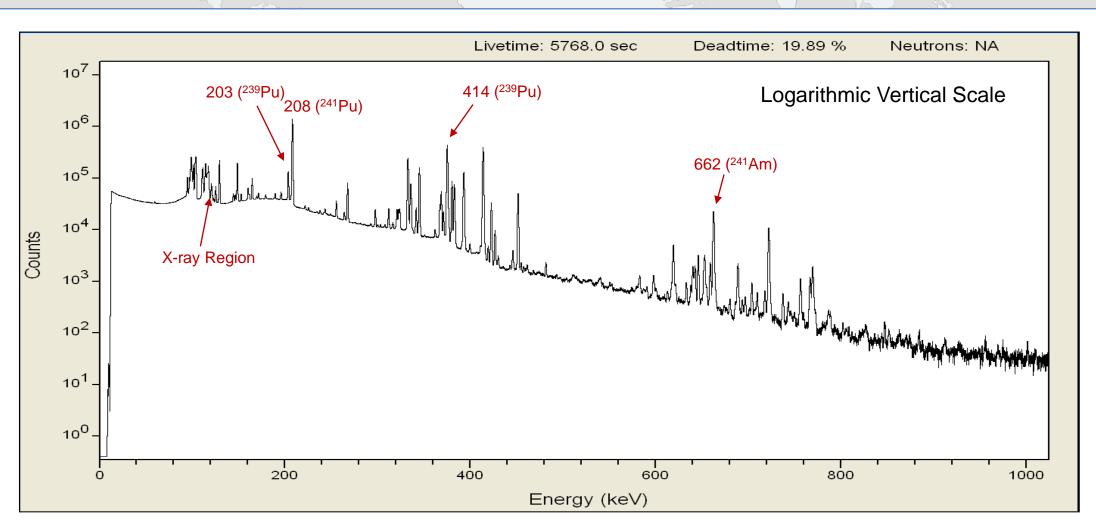
# **Uranium Gamma-Ray Spectrum** (1-MeV Range)







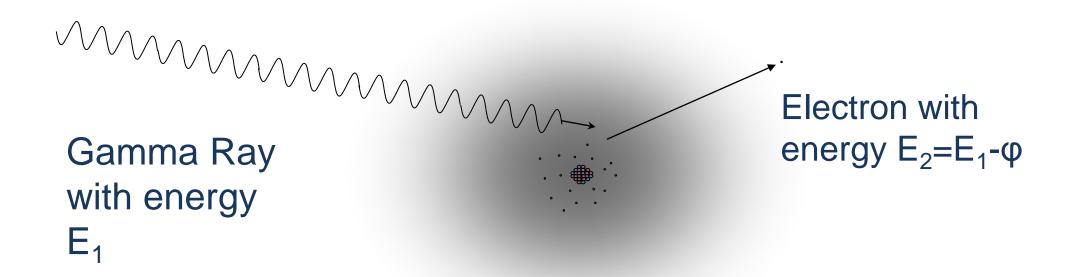








### The Photoelectric Effect



All of the gamma energy is absorbed in the interaction







### **Compton Scattering**

i.Mumm

Electron with energy E<sub>2</sub>

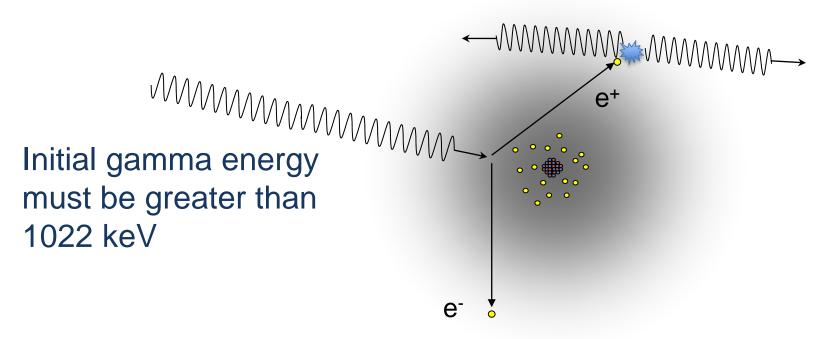
Gamma-ray with energy  $\mathsf{E}_1$ 

> Gamma-ray with energy  $E_3 = E_1 - E_2 - \varphi$



### **Pair Production and Annihilation**

Positron annihilates in contact with an electron, producing two 511 keV gamma-rays





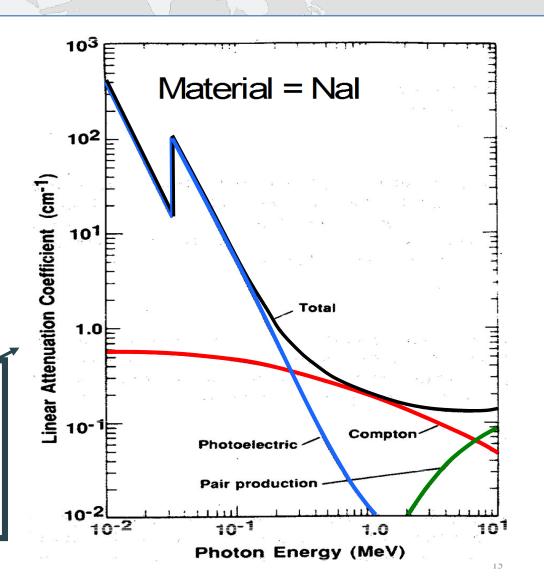
### **Gamma-Ray Interaction Energy Dependence**

The dominant interaction depends on the gamma-ray energy:

- Low Gamma Energy (Ε<sub>γ</sub>):
   Photoelectric Effect
- Medium  $E_{\gamma}$ : Compton Effect
- E<sub>v</sub> > 1.022 MeV: **Pair** 
  - **Production**

#### <u>Linear Attenuation Coefficient</u> <u>depends on</u>:

- Atomic number of the absorber, Z
- Energy of incident gamma ray, Eg
- Density of the absorber, r





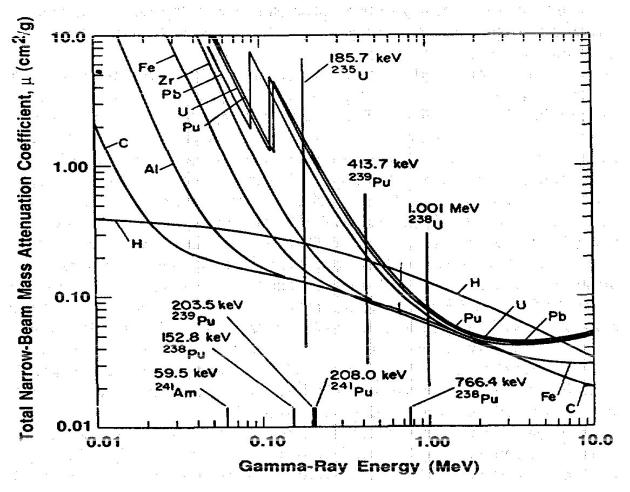




# Mass Attenuation Coefficient, $\mu/\rho \rightarrow \mu_Z(E_v)/\rho$

# $\mu/\rho$ depends on:

- Atomic number of the absorber, Z
- Energy of incident gamma ray, Eγ
- But  $\underline{NOT}$  on the density of the absorber,  $\rho$



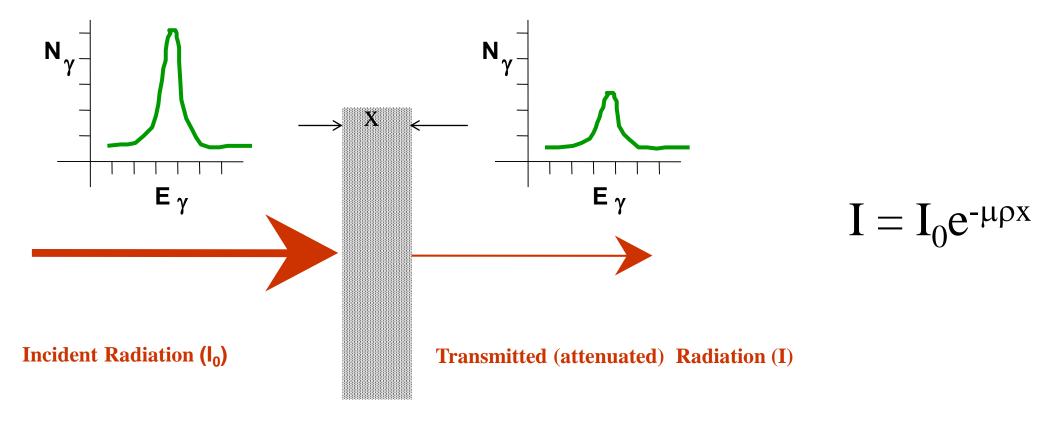






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### **Attenuation of Gamma Rays**



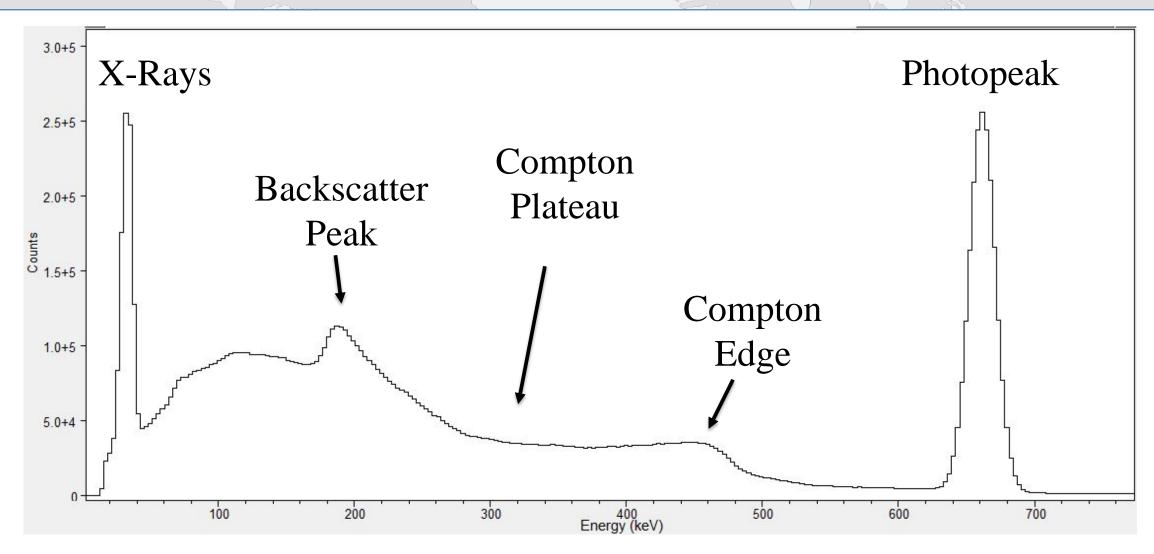
Transmission, 
$$T = I/I_0 = e^{-\mu\rho x}$$







# Features of a Monoenergetic Spectrum





### **Detector Parameters**

- Resolution: how precisely can the detector determine the gamma ray energies?
- Efficiency: how many of the available gamma rays are actually detected?
- Efficiency curve: how efficient is the detector at various energies?
- Dead time: in a given measurement period, how much of the time can the detector actually respond to gamma rays?



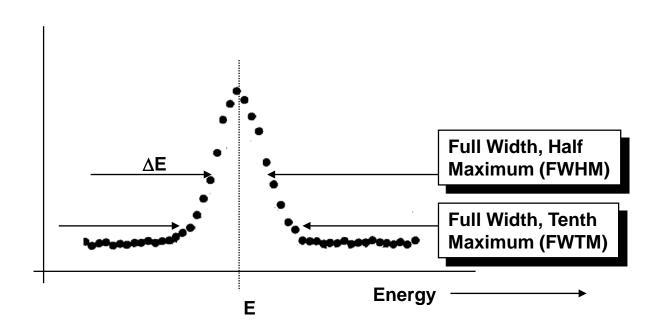




### **Energy Resolution**

- Resolution is defined by the full width at half max (FWHM)
- For a Gaussian peak, FWHM=2.35σ

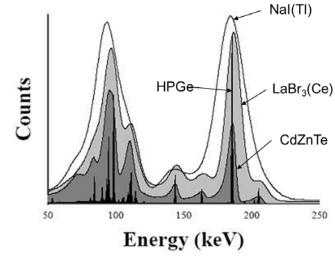
Typical Values					
Detector	FWHM	E	FWHM/E		
Nal(TI)	29 keV	661 keV	7.5%		
Nal(TI)	150 keV	1332 keV	10.6%		
Ge (Planar)	540 eV	122 keV	0.44%		
Ge (Coax)	1.75 keV	1332 keV	0.13%		

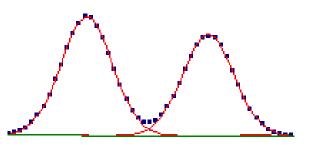


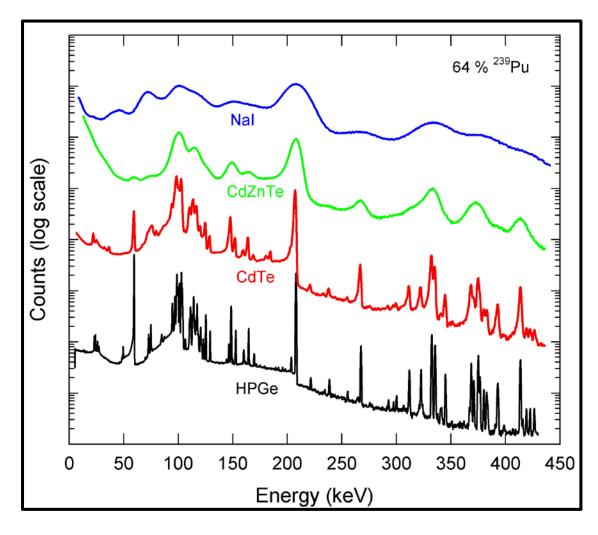


### **Energy Resolution**

A spectrographic system's energy resolution determines how far apart peaks have to be to be resolved









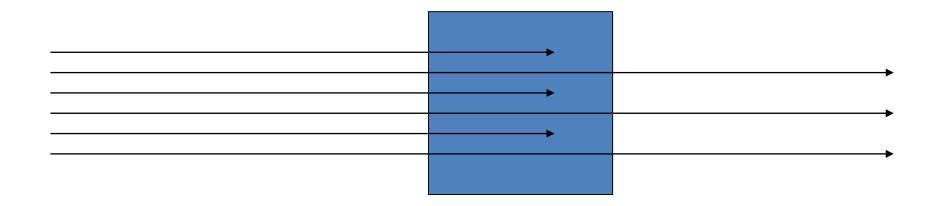
### **Factors that Affect Resolution**

- The detector type (Nal, Ge, CZT,...)
- Radiation damage to the detector
- The measurement environment
  - Radiation
  - Electronic
  - Physical (vibrations, temperature, humidity,...)
- Measurement electronics
- Quality
  - Settings (pole-zero, baseline restoration, time constants, pileup rejection, count rates,...)
  - Placement (near electronic sources, near other radiation fields, ...)



### **Detector Parameters - Efficiency**

• 50% efficiency is illustrated here

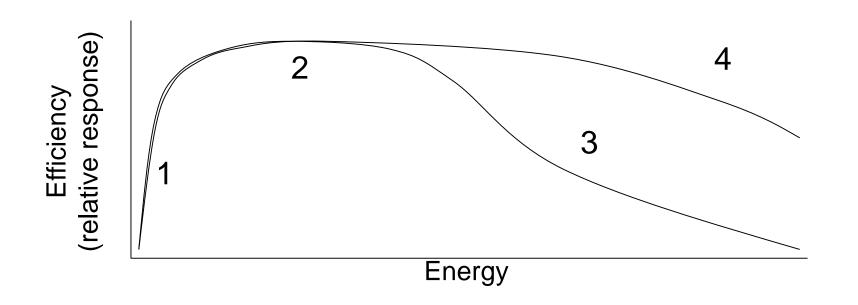


 Note: relative efficiency is often used; this compares a detector's efficiency to that of a 3" by 3" sodium iodide detector



### **Detector Parameters - Efficiency**

- 1. Very low energy rays can have difficulty penetrating to the crystal
- 2. Moderate energy rays are generally fully absorbed
- 3. High energy rays can go through the entire crystal
- 4. Larger detectors have better high-energy efficiency







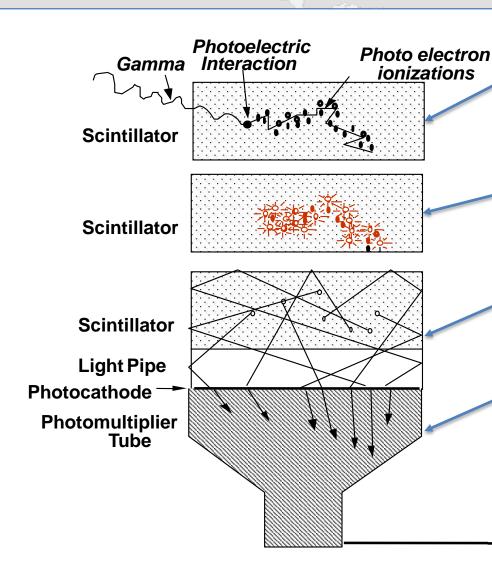


### **Detector Technologies**

- Scintillators
  - Sodium Iodide, NaI(TI)
  - Lanthanum Bromide, LaBr<sub>3</sub>(Ce)
- Semiconductors
  - Cadmium Zinc Telluride (CdZnTe)
  - High Purity Germanium (HPGe)



### **Nal Scintillation Detector**



#### Step 1:

Gamma-ray generates a photoelectron which causes ionization/excitation proportional to energy deposited

#### Step 2:

Scintillator atoms emit light after recombination and relaxation to lower energy states

#### Step 3:

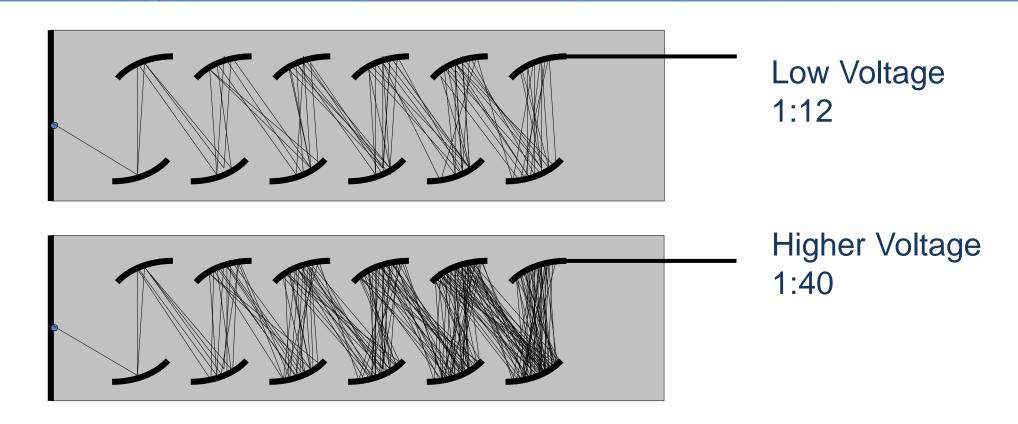
The scintillation light is collected by the photocathode.

#### Step 4:

Photoelectrons are emitted from the photocathode into the phototube dynode chain where they are amplified and then sent to the pulse processing electronics.



## **Photomultiplier Tube (PMT)**



Photomultipliers are temperature sensitive; warming or cooling of the system will shift the peaks in the spectrum.

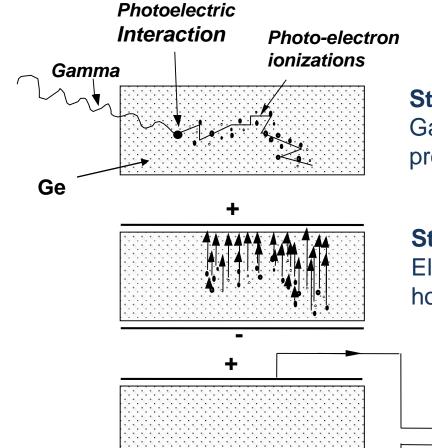


# **Nal(TI) Detectors**

- Nal(TI) is dense and has high effective Z, so it effectively stops gamma rays; this gives good overall efficiency
- Efficiency depends on the size of the crystal and the energy of the gamma ray
- NaI(TI) crystals are shock sensitive
- Nal(TI) crystals must be sealed against moisture
- NaI(TI) detectors have significant gain shift with fluctuating temperatures
- NaI(TI) detectors are considered low resolution detectors
  - Resolution is ~half of LaBr<sub>3</sub>(Ce), and ~0.1x that of HPGe



### **High Purity Germanium (HPGe) Detector**



#### Step 1:

Gamma-ray causes ionization (electron-hole pairs) proportional to energy **deposited** 

#### Step 2:

PreAmp

Electrons move toward the positive electrode while holes move toward the negative electrode

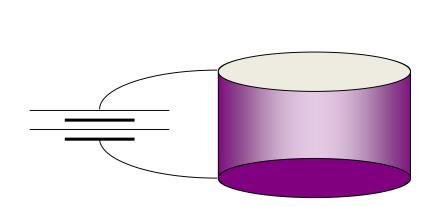
#### Step 3:

The charge burst is converted into a voltage pulse by a preamplifier. The pulse is proportional to the energy of the gamma ray.

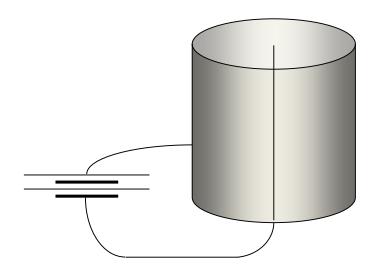


### **Germanium Detectors**

There are two contacts on the detector, and a high voltage is applied.



Planar detector; better resolution, lower efficiency



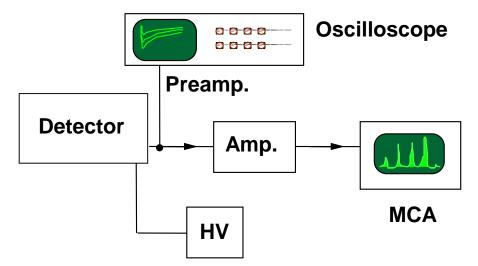
Coaxial detector; poorer resolution, better efficiency

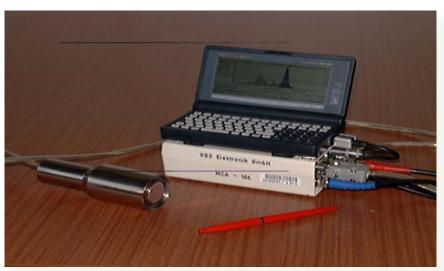


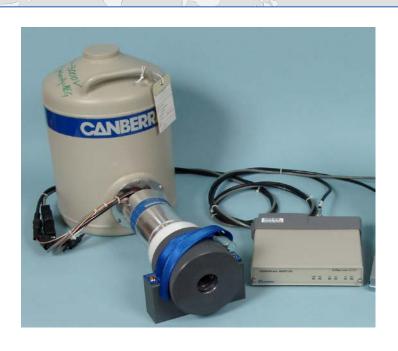




### **Gamma-Ray Spectroscopy Instrumentation**





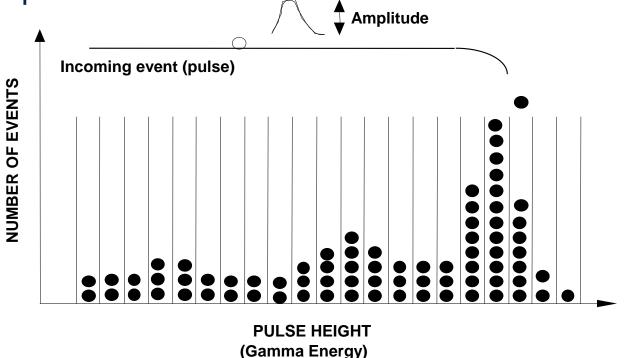


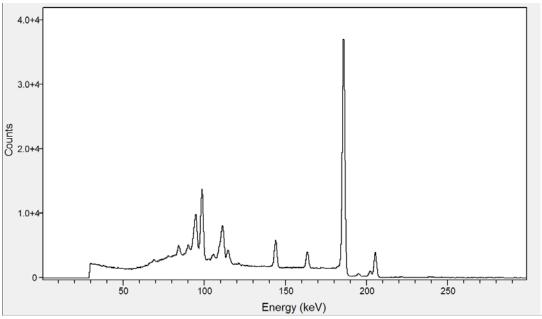
- Battery-powered
- Computer-based
  - data acquisition
  - data analysis
- Commercially available



### From Voltage Pulses to a Spectrum

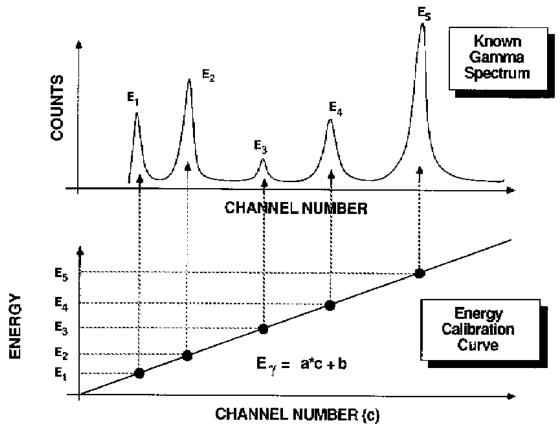
The Multi-Channel Analyzer (MCA) electronically sorts voltage pulses of different amplitudes into "bins" which correspond to the energy deposited in the crystal by each gamma ray. This forms a pulse-height or gamma ray energy spectrum.







# **Energy Calibration**



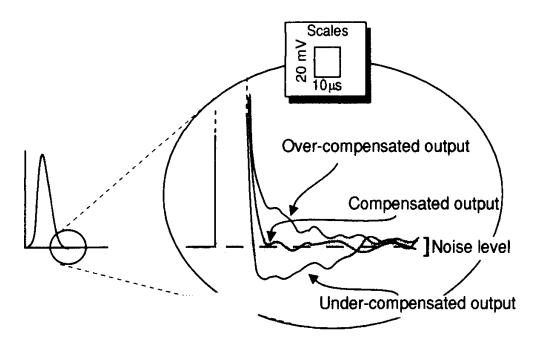
 $E_{\gamma}$  (keV) = A\*Channel# + B Energy accuracy to about 0.5 keV usually possible

- HPGe and LaBr<sub>3</sub>(Ce) have very linear calibrations with small offsets (B)
- NaI(TI) has an approximately linear calibration with a larger offset



### **Amplifier Pole-Zero (PZ) Compensation**

- Pre-amplifier pulse input into the amplifier is a pulse with a long decay time. Consequently, the
  output from the amplifier is a pulse that exhibits an undershoot below zero baseline and has a
  long recovery time. If another pulse arrives before recovery, its amplitude will be in error.
- Pole-zero compensation is a technique by which the undershoot is avoided by adding a
  resistance in parallel to the capacitor in the differentiator-integrator (CR-RC) network of the
  amplifier. The value of the resistance is adjusted to compensate for the undershoot.



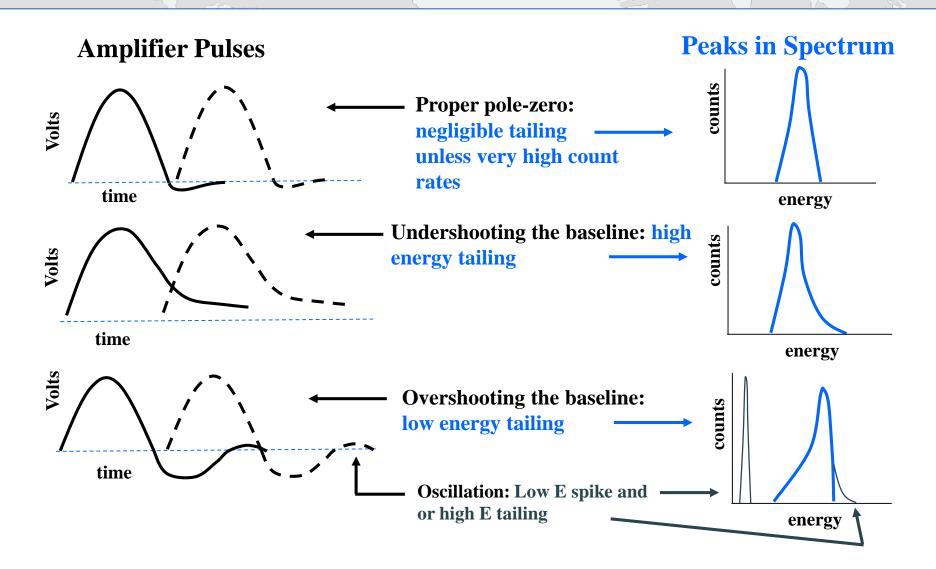
- PZ adjustment is the first step in attempting to correct bad resolution and asymmetrical peaks
- Poor PZ settings can worsen resolution, increase deadtime, and shift the spectrum nonlinearly







### Pole-Zero and Peak Shape







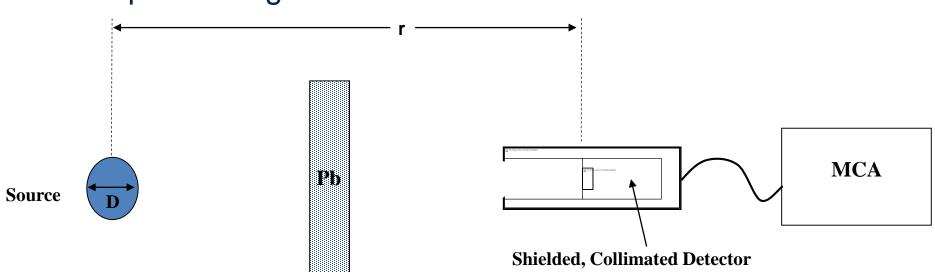


### **Factors that Affect Gamma-Ray Data**

- Activity and configuration of the source
- Distance
- External and internal attenuation
- Collimation
- Detector efficiency
- Electronics processing

Distance Formula

$$Rate = K \cdot \frac{Mass}{r^2} \quad (for \ r >> D)$$





### The Limit of Measurement Precision

#### **Even if you have PERFECT:**

- education of the operator
- management of the item and background
- execution of the measurement

#### You still have:

uncertainty as to how close your result is to the true result

### STATISTICAL uncertainty can not be removed

It is a fact of nature!

as a minimum value determined by statistics of the process

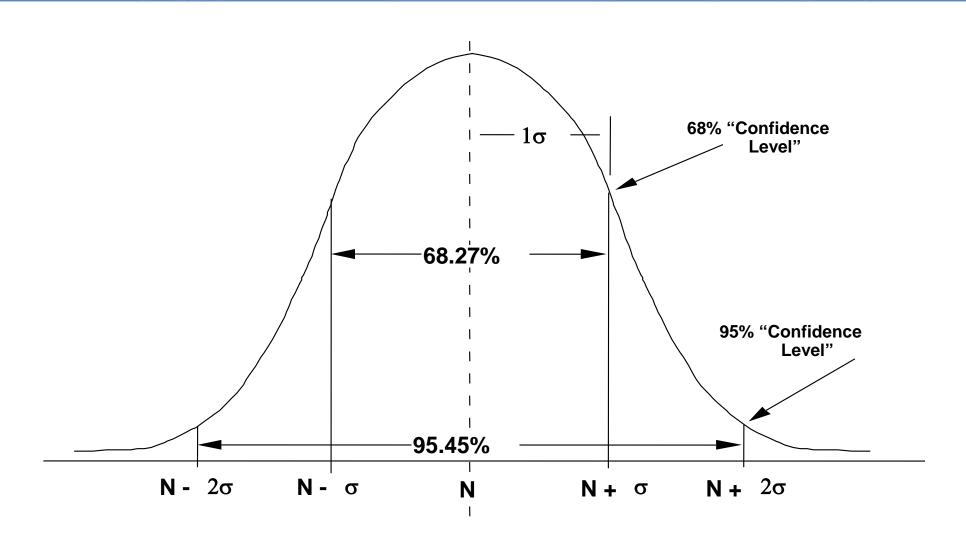






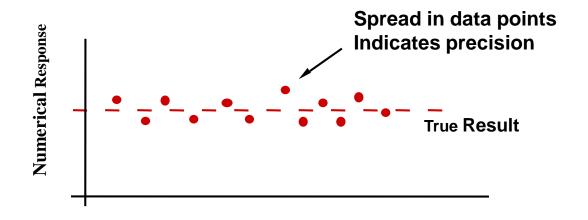
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# **Gaussian (Normal) Distribution**



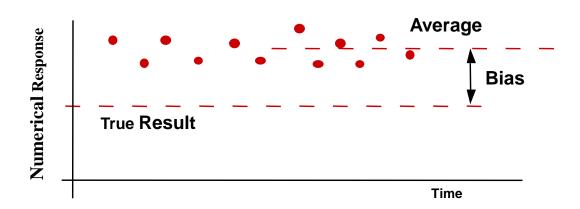


### **Precision versus Bias**



#### **Measurement Precision:**

The degree to which repeated measurements of the same item give the same results.



#### **Measurement Bias:**

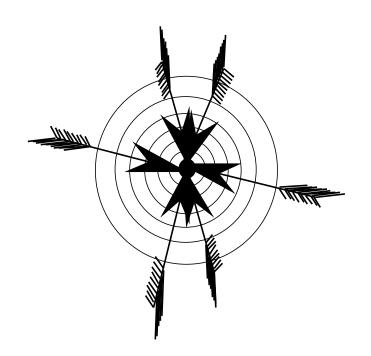
The amount by which the average of many measurement results of the same standard differs from the true measurement value for that standard.



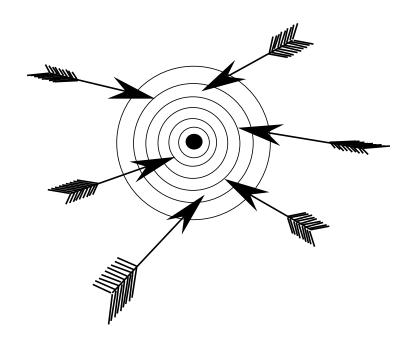




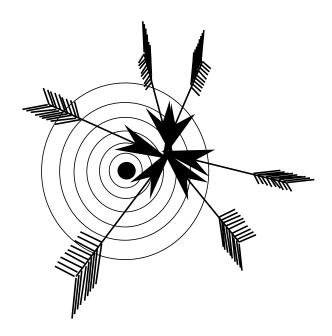
### Precision, Accuracy, and Bias



Good precision, good accuracy



Poor precision, indeterminate accuracy



Good precision, poor accuracy (biased measurement)

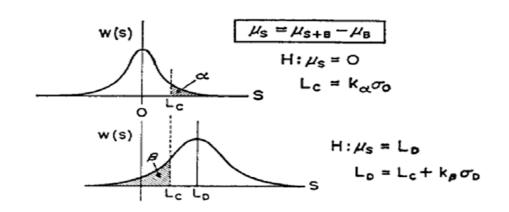


### **Uncertainty in Nuclear Counting**

- For a measured number of counts, N from a random nuclear decay process
  - the standard deviation is  $\sigma = (N)^{1/2}$
  - the RELATIVE standard deviation is  $\sigma_R = \sigma/N = 1/(N)^{1/2}$
- Since the number or counts, N, is in the denominator of the relative standard deviation,  $\sigma_R$  can be reduced by
  - taking more data
  - Increase the measurement time
  - Use a source of higher activity
  - Decrease the distance between detector and source as long as you still observe the "point-source" criterion

# Critical Limit and Detection Limit – The Currie approach





Assuming  $k_{\alpha} = k_{\beta} = k$ , it can be shown that:

$$L_D = k^2 + 2.L_C$$

or

 $L_D = k^2 + 2.k. \text{sqrt}(2.\sigma_B^2)$  which is the familiar form of the Currie equation for detection limit.

Hypothesis testing:  $\alpha$  is deciding that the substance is present when it is not;  $\beta$  is failing to decide that the substance is present when it is.

Source: Lloyd A. Currie, "Limits for Qualitative Detection and Quantitative Determination: Application to Radiochemistry," pp. 586–93, *Analytical Chemistry* **40** (3), 1968 (DOI: 10.1021/ac60259a007).







# Review and Summary of the Enabling Learning Objectives

- Describe the origin of x-rays and gamma-rays, the radioactive decay characteristics for uranium and plutonium and resulting photon emission yields.
- Explain how gamma-rays interact with matter: photoelectric effect, Compton scatter, pair production and annihilation, attenuation.
- List features specific to a uranium and plutonium gamma-ray spectrum
- Describe detector parameters: resolution, efficiency, dead-time
- Recognize detector technologies: scintillators and semiconductors.
- Explain how gammas interact with a detector to create a spectrum, and the electronic settings that may be adjusted in the course of calibration: energy, polezero, integration time.
- Understand gamma-ray spectrometry statistical concepts for precision and bias.









- How to acquire a gamma-ray spectrum emitted by uranium or plutonium and conduct an energy calibration
- List features specific to a uranium or plutonium gamma-ray spectrum that was acquired by the spectrometer.
- Recognize the difference between scintillator and semiconductor spectrometers.
- Use of an HPGe, high-resolution gamma-ray spectrometer to perform energy calibration, and to demonstrate the relationship between resolution and dead-time.
- Gamma-ray attenuation in various materials.
- Gamma-ray spectrometry counting statistics (optional)